

Chapter 2: Balance Sheet, Income Statement and CFFA

Balance sheet

- CA = cash + AR + inventory
- TA = CA + NFA + other intangible assets
- CL = AP+NP
- TL or TD or D = CL- LTD
- OE or TE or E = CS at par + add. paid-in surplus + RE - preferred stock (if any)
- CS = CS at par + add. paid-in surplus or capital + RE
- TA = TL - OE
- NWC = CA - CL

Income statement

- EBIT = sales - CGS - depreciation - other expenses
- Taxable income or EBT = EBIT - interest paid; Taxable income = $\frac{NI}{(1-T)}$
- Taxes = taxable income x tax rate
- NI = Taxable income - taxes
- NI = add. to RE + dividends
- EPS = NI / (# of shares outstanding)
- PE ratio = current price / EPS

CFFA (2 ways)

- a) **CFFA = OCF - NCS - ΔNWC**
 - OCF = EBIT - depreciation - taxes
 - NCS = NFA_{end} - NFA_{beg} + depreciation
 - ΔNWC = NWC_{end} - NWC_{beg} = (CA_{end} - CL_{end}) - (CA_{beg} - CL_{beg})
- b) **CFFA = CF to creditors + CF to shareholders**
 - CF to creditors = interest paid - net new borrowing = interest paid - (LTD_{end} - LTD_{beg})
 - CF to stockholders = dividends paid - net new equity raised =
= dividends paid - (OE_{end} - OE_{beg} - add. to RE (if any))

Taxes: Average tax rate = taxes to be paid / taxable income

Chapter 3: Ratios

- PM = NI/sales; TAT = sales/TA; EM = 1 + (TL/OE) = TA/OE
- ROA = NI/TA = (NI/sales) x (sales/TA) = PM x TAT
- ROE = NI/OE = (NI/sales) x (sales/TA) x (TA/OE) = PM x TAT x EM = ROA x EM
- Dividend payout ratio = Cash dividends / Net income
- Retention or plowback ratio (b) = add. to RE / NI = (NI - cash dividends) / NI
= 1 - dividend payout ratio

$$\text{Internal Growth Rate} = \frac{(ROA \times b)}{(1 - (ROA \times b))}; \quad \text{Sustainable Growth Rate} = \frac{(ROE \times b)}{(1 - (ROE \times b))}$$

Current ratio = CA/CL; Quick ratio = (CA - Inventory)/CL;

Cash ratio = Cash/CL
 Total debt ratio = TD/TA = (TA - TE)/TA Debt to equity ratio = TD/TE
 TIE = EBIT/Interest Cash coverage ratio = (EBIT + Depreciation)/Interest
 Inventory turnover = CGS/Inventory Days sales in inventory = 365/inventory turnover
 Receivable turnover = sales/AR Days sales in receivables = 365/receivable turnover
 Capital intensity = TA/Sales
 Market to book ratio = market value per share/book value per share

Chapter 4

Single cash flows

Compound interest: $FV = PV(1+r)^n$ $PV = \frac{FV}{(1+r)^n}$ $n = \frac{\ln \left(\frac{FV}{PV} \right)}{\ln(1+r)}$ $r = \left(\frac{FV}{PV} \right)^{\frac{1}{n}} - 1$

Simple interest: $FV = PV + PV(r)(n)$ $PV = \frac{FV}{1+(r \cdot n)}$

Interest on interest: $FV_{(1+r)^n}$ $FV_{(1+r)^n}$

Chapter 5

Ordinary Annuities

$PV = PMT \left[\frac{(1+r)^n - 1}{r(1+r)} \right]$ $FV = PMT \left[\frac{(1+r)^n - 1}{r} \right]$ $PMT = \frac{PV}{\left[\frac{(1+r)^n - 1}{r(1+r)} \right]}$

Total interest paid over the life of an amortized loan = (PMT * number of pmts) - amount borrowed

Annuities Due

$PV = PMT \left[\frac{(1+r)^n - 1}{r(1+r)} \right] (1+r)$ $FV = PMT \left[\frac{(1+r)^n - 1}{r} \right] (1+r)$ $PMT = \frac{PV}{\left[\frac{(1+r)^n - 1}{r(1+r)} \right] (1+r)}$

Perpetuities: $PV = C/r$

Chapter 6: Bonds

Annual Coupon Payment = coupon rate x FV $PV = PMT \left[\frac{(1+YTM)^n - 1}{YTM(1+YTM)} \right] + \frac{FV}{(1+YTM)^n}$

Fisher Equation: $(1+R) = (1+r)(1+h)$

Municipal vs. corporate bonds: $r(1-T) = r_c$

FINA 3310 Formulas: Chapters 7, 8, 9

Tentative Formulas for ch. 7, 8, 9

Chapter 7

Single cash flow: $PV = \frac{FV}{1 + r(t)}$

Level perpetuity: $P = \frac{D}{r}$

Growing Perpetuity: $P = \frac{D(1+g)}{r-g} = \frac{D(1+g)^t}{(r-g)(1+r)^t} = \frac{D(1+g)^t}{(r-g)} \cdot \frac{1}{(1+r)^t} = \frac{D}{(r-g)} \cdot \frac{1}{(1+r)^t}$

DDM: $r = \frac{D}{P} + g$

Chapter 8

$$NPV = \sum_{t=1}^T \frac{CF_t}{(1+r)^t} \quad \text{or} \quad NPV = \sum_{t=1}^T \frac{CF_t}{(1+RRR)^t} \quad \text{or} \quad NPV = 0 \quad \text{if} \quad \sum_{t=1}^T \frac{CF_t}{(1+r)^t}$$

Chapter 9

Depreciation

Straight Line annual depreciation: $\frac{\text{Initial Investment (ending value)}}{n}$

MACRS Depreciation

MACRS annual depreciation = MACRS rate * initial cost

Accum. Deprec. = sum of all annual depreciations up to and including year t

BV = Initial Cost - Accum. Deprec. = Initial cost * (1 - sum of all MACRS rates up to and including year t)

ATSV = MV = (MV - BV) * t

Net Working Capital and ANWC

CF = Cash - Δ Inv - Inventories = CF - Δ I - Δ IP

NWC = CA - CL = Δ NWC = Δ MC = Δ MB = Δ Change in CA - Δ Change in CL

Increases in NWC (or Δ NWC) should be rewarded with a negative sign while decreases in

NWC (or Δ NWC) should be rewarded with a positive sign

Recovery or replacement of NWC = 1 - 1 = 0 is sum of all ANWC for all years of any t

Various ways of calculating OCF in any year:

OCF = (sales - variable costs - fixed costs - depreciation) * (1 - tax) + depreciation

OCF = (reduction in costs - depreciation) * (1 - tax) + depreciation

Very important additional notes on OCFs

If the undertaking of a new project will affect the sales of other existing products over their entire economic

incremental cash flows (typically) changes in sales and resulting changes in variable costs should also

be included in the calculation of the OCF with the appropriate sign (i.e. increases in sales with a positive

sign while decreases in sales with a negative, increases in variable costs with a negative sign while decreases

of variable costs with a positive)

Formulas for Chapters 10, 11, 12

Chapter 10

$$R = \frac{D}{P} + \frac{P_1 - P}{P}$$

$$GEAR = (1 - R_f) + (1 - R_f) \dots + (1 - R_f)^{t-1} = \frac{1 - (1 - R_f)^t}{R_f}$$

Arithmetic Average: $\frac{R_1 + R_2 + \dots + R_n}{n} = \frac{\sum R}{n}$

Chapter 11

$$L(R) = pr_1 R_1 + pr_2 R_2 + \dots + pr_n R_n = \sum pr_i R_i$$

$$E(R) = w_1 E(R_1) + w_2 E(R_2) + \dots + w_n E(R_n) = \sum w_i E(R_i)$$

where $w_i = \frac{\text{value of asset } i}{\text{total value of portfolio}}$, $\sum w_i = 1$

$$\beta_p = w_1 \beta_1 + w_2 \beta_2 + \dots + w_n \beta_n = \sum w_i \beta_i, \beta_{M,1} = 1 \text{ and } \beta_{M,n} = 0$$

$$SML: E(R_i) = r_{rf} + (E(R_M) - r_{rf}) \beta_i \text{ or } r_i = r_{rf} + (r_M - r_{rf}) \beta_i$$

$$RP_M = E(R_M) - r_{rf} \text{ or } RP_M = r_M - r_{rf}$$

Chapter 12

$$BACC = w_d r_d (1 - T) + (w_p r_p + w_e r_e) \text{ where } r_d(1 - T) = \text{after tax cost of debt}$$

F_1 = number of bonds x bond price; F_p = number of preferred shares x preferred share price

F_e = number of common shares x common share price $\Rightarrow F_1 = F_p + (F_e - F_p)$

$$w_d = \frac{F_1}{F_1}, w_p = \frac{F_p}{F_1}, w_e = \frac{F_e}{F_1}$$

Before tax cost of debt, r_d , is the YTM of the company's bonds

$$PV = PMT \frac{1 - (YTM)^{-t}}{YTM} + \frac{FV}{YTM} \text{ and } PMT = \text{coupon rate} \cdot FV$$

Cost of preferred, $r_p = \frac{D}{P}$ (if you get the dividend rate then $D = \text{dividend rate} \cdot 100$)

where 100 = the typical par value of preferred

Cost of common equity, r_e - Two ways to calculate

1st way: $SML: r_e = r_{rf} + (r_M - r_{rf}) \beta$

2nd way: $DGM: r_e = \frac{D}{P} + R$